

QuickChick: Property-based testing for Coq

Maxime Dénès • Cătălin Hrițcu • Leonidas Lampropoulos • Zoe
Paraskevopoulou • Benjamin C. Pierce

University of Pennsylvania • Inria Paris-Rocquencourt • NTU Athens



COQ CAN BE MEAN!

Theorem Feit_Thompson (gT : finGroupType) (G : {group gT}) :
odd #|G| -> solvable G.

Proof. **exact**: (minSimpleOdd_ind no_minSimple_odd_group). **Qed**.

“Feit_Thompson is defined.”



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```
Lemma foo (b : bool) :  
  exists x : nat, x = x.
```

```
Proof.
```

```
exists; apply (eq_refl b).
```

```
1 subgoals, subgoal 1 (ID 4)
```

```
b : bool
```

```
=====
```

```
exists x : nat, x = x
```

-- unif.v

All (4,0)

(Coq Script(1-) +3

U:%%- *goals*

All (7,0)

(Coq Goals +3)

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```
Lemma foo (b : bool) :  
  exists x : nat, x = x.
```

```
Proof.
```

```
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```

Toplevel input, characters 16-25:

Error: Impossible to unify "b = b" with "?6 = ?6".

-- unif.v

All (4,16)

(Coq Script(1-) +3

U:K+-

response

All (2,50)

(Coq Response +3)

Lemma Fermat : forall a b c n : nat, 2 < n -> a^n + b^n = c^n
-> a = b = c = 0.

Proof.

[... 1000 lines ...]

exact: my_lemma.

[... 100000 lines ...]

Qed.

Lemma Fermat : forall a b c n : nat, 2 < n -> a^n + b^n = c^n
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Proof.

[... 1000 lines ...]

exact: my_lemma.

[... 100000 lines ...]

Qed.

Lemma my_lemma : prime 4.

Proof. admit. Qed.

Why would you be proving a false statement?

- Some definitions could be wrong
- Conjectures are part of the proving process

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Murphy's law for Coq: if there is an incorrect admit, it will be the last remaining one.

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Murphy's law for Coq: if there is an incorrect admit, it will be the last remaining one.

Standard idea: try to catch errors early by random testing

Random testing is already popular for functional languages
(QuickCheck [Claessen et al. 2000] in Haskell)

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The idea is:

- Define an executable property `forall x : T, P(x)`
- Generate random elements in T
- Check that the property holds for these elements

We introduce QuickChick, a random testing plug-in for Coq



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but already provides most of the features of Haskell's QuickCheck
(except notably generation of functions).

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We are still studying full extension to polymorphism and dependent types.

A large teal circle is centered on a dark, almost black background. Inside the circle, the word "DEMO" is written in a white, sans-serif font.

DEMO

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- Errors in programs (definitions)
- Errors in specifications (properties)

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We provide some ways of detecting this last kind of errors:

- Mutation framework
- Formal verification of generators
- Language-based approach

Interlude: randomly testing a proof assistant

Recent work [Palka et al. 2011] showed that compilers can be tested by generating random lambda-terms.

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Idea: many bugs could be found by testing partial properties on terms with little logical content.

The challenge is the generation of such terms.

Conclusion:

QuickChick is still very unstable, but you can play with it:

<https://github.com/lemonidas/QuickChick>

Not user-friendly yet, but we already applied it to non-trivial examples like testing non-interference.



THANK YOU!